

**SEISMIC EVALUATION OF 4-STORY
REINFORCED CONCRETE STRUCTURE BY
NON-LINEAR STATIC PUSHOVER ANALYSIS**

A THESIS SUBMITTED IN PARTIAL FULFILLMENT OF THE
REQUIREMENTS FOR THE DEGREE OF

BACHELOR OF TECHNOLOGY

IN

CIVIL ENGINEERING

BY

ASWIN PRABHU T.

UNDER THE GUIDANCE OF

PROF. A. V. ASHA



**DEPARTMENT OF CIVIL ENGINEERING
NATIONAL INSTITUTE OF TECHNOLOGY ROURKELA**

2013

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NATIONAL INSTITUTE OF TECHNOLOGY ROURKELA

CERTIFICATE

This is to certify that the thesis entitled “**SEISMIC EVALUATION OF FOUR-STORY RC STRUCTURE USING PUSHOVER ANALYSIS**” submitted by **Mr. Aswin Prabhu T. [Roll No.: 109CE0463]** in partial fulfillment of the requirements for the award of Bachelor of Technology Degree in Civil Engineering at the National Institute of Technology Rourkela is an authentic work carried out by him under my supervision.

To the best of my knowledge, the matter embodied in the thesis has not been submitted to any other University/Institute for the award of any degree or diploma.

Date: 10th May, 2013

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ABSTRACT

[Keywords: Non-linear static procedure; reinforced concrete frame; pushover analysis; target displacement; yield strength; pushover curve]

With the immense loss of life and property witnessed in the last couple of decades alone in India, due to failure of structures caused by earthquakes, attention is now being given to the evaluation of the adequacy of strength in framed RC structures to resist strong ground motions. A 50-year old four story (8-bay and 3-frame) reinforced concrete structure has been considered in this study, which lies in Zone II, according to IS 1893:2000 classification of seismic zones in India. Masonry infills have been considered as non-structural members during this entire study.

Inelastic static analysis, or pushover analysis, has been the preferred method for seismic performance evaluation due to its simplicity. It is a static analysis that directly incorporates nonlinear material characteristics. Inelastic static analysis procedures include Capacity Spectrum Method, Displacement Coefficient Method and the Secant Method.

The structure has been evaluated using Pushover Analysis, a non-linear static procedure, which may be considered as a series of static analysis carried out to develop a pushover curve for the building. The structure is simulated in SeismoStruct Version 5.2.2 after being designed in STAAD.Pro v8i by considering M15 concrete and Fe250 steel reinforcement. The pushover curve is generated by pushing the top node of structure to the limiting displacement and setting appropriate performance criteria. The target displacement for the structure is derived by bi-linearization of the obtained pushover curve and subsequent use of Displacement Coefficient Method according to ASCE 41-06.

The analysis is then carried out for 150% of the calculated target displacement for the structure to observe the yielding of the members and the adequacy of the structural strength. The extent of damage experienced by the structure at the target displacement is considered representation of the damage that would be experienced by the building when subjected to design level ground shaking.

Chapter 1

INTRODUCTION

1.1 GENERAL

The term **earthquake** can be used to describe any kind of seismic event which may be either natural or initiated by humans, which generates seismic waves. Earthquakes are caused commonly by rupture of geological faults; but they can also be triggered by other events like volcanic activity, mine blasts, landslides and nuclear tests. An abrupt release of energy in the Earth's crust which creates seismic waves results in what is called an earthquake, which is also known as a tremor, a quake or a temblor). The frequency, type and magnitude of earthquakes experienced over a period of time defines the seismicity (seismic activity) of that area. The observations from a seismometer are used to measure earthquake. Earthquakes greater than approximately 5 are mostly reported on the scale of moment magnitude. Those smaller than magnitude 5, which are more in number, as reported by the national seismological observatories are mostly measured on the local magnitude scale, which is also known as the Richter scale.[1]

There are many buildings that have primary structural system, which do not meet the current seismic requirements and suffer extensive damage during the earthquake. The buildings at NIT Rourkela were designed by primary structural system and the reason behind this is Rourkela lies in ZONE II of Seismic Zone Map of 2002 i.e. according to Seismic Zoning Map of IS: 1893-2002, which says the region is least probable for earth quakes. The institute building is a four story building designed without considering the design factors of IS: 1893-2002. At present time the methods for seismic evaluation of seismically deficient or earthquake damaged structures are not yet fully developed. [1]

The buildings which do not fulfill the requirements of seismic design, may suffer extensive damage or collapse if shaken by a severe ground motion. The seismic evaluation reflects the seismic capacity of earthquake vulnerable buildings for the future use. [1]

According to the Seismic Zoning Map of IS: 1893-2002, India is divided into four zones on the basis of seismic activities. They are Zone II, Zone III, Zone IV and Zone V. Rourkela lies in Zone II. [1]

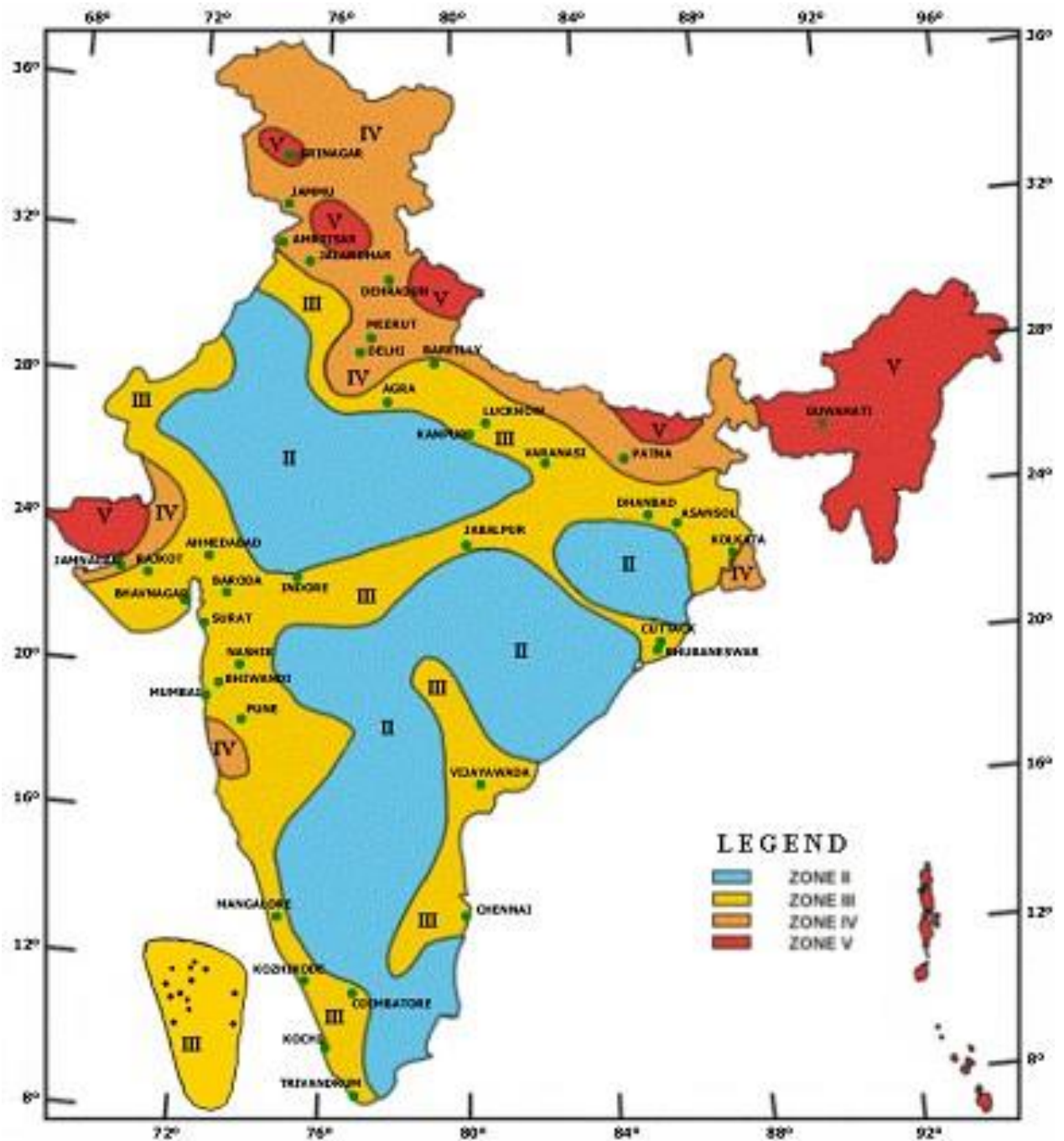


Fig 1.1 Seismic Zoning Map of India

The methodologies available so far for the evaluation of existing buildings can be divided into two categories-(i) Qualitative method (ii) Analytical method.

The qualitative methods for evaluation are based on the background data of the building and its construction site available, which requires some or few documents like drawings, visual inspection report, past performance of the analogous buildings under seismic activities, and certain non-destructive test results. The analytical methods for evaluation are centered on the consideration of the ductility and capacity of buildings on the grounds of drawings which are already available. [1]

Pushover analysis is an estimated analysis method where the structure is subjected to different monotonically increasing lateral forces, with a distribution which is height-wise invariant, until the target displacement is touched. Pushover analysis comprises of a series of successive elastic analysis, superimposed to estimate a force-displacement curve of overall structure. [17]

First, a two or three dimensional model that includes bi-linear or tri-linear load-deformation figures of all the lateral force resisting elements is created and gravity loads are applied. Then, a predefined lateral load pattern that is distributed along the building height is applied. Until some members yield, the lateral forces are amplified. The structural model is modified in order to account for reduced stiffness of the yielded members and the lateral forces are increased again till additional members yield. This process is continued till a control displacement at top of the building reaches a particular level of deformation or else the structure becomes unsteady. The roof displacement is plotted with respect to the base shear so as to get the global capacity curve. [12]

Pushover analysis can be performed as force-controlled or displacement-controlled. In force-controlled pushover procedure, full load combination is applied as specified, i.e, force-controlled procedure should be used when the load is known (such as gravity loading). Also, in force-controlled pushover procedure some numerical problems that affect the accuracy of results occur since target displacement may be associated with a very small positive or even a negative lateral stiffness because of the development of mechanisms and P-delta effects.

Pushover analysis has been the preferred method for seismic performance evaluation of structures by the major rehabilitation guidelines and codes because it is conceptually and

computationally simple. Pushover analysis allows tracing the sequence of yielding and failure on member and structural level as well as the progress of overall capacity curve of the structure.

Equivalent static method is used to seismically design most of the low and medium-rise building structures. In this method, design forces are acquired from elastic spectra that are reduced using a response modification factor. This coefficient signifies the structure's inelastic performance and specifies hidden ductility and strength of those structures in inelastic phase. The ratio of eventual deformation of the structure and its deformation in yielding is referred to as the ductility coefficient which expresses inelastic deformation capacity of these structures. The larger the value of this coefficient is, the higher the level of energy absorption is and the more the number of plastic joints formed are, as compared to before. Thus accurate determination of the yielding points and the ultimate displacements is very important. Certain failure criteria are used to evaluate the building's seismic demands in this paper. The maximum drift of the structure without total collapse under seismic loads is called the target displacement. [11]

If the Nonlinear Static Procedure (NSP) is selected for seismic analysis of the building, a mathematical model directly incorporating the nonlinear load-deformation characteristics of individual components and elements of the building shall be subjected to monotonically increasing lateral loads representing inertia forces in an earthquake until a target displacement is exceeded. The target displacement is intended to represent the maximum displacement likely to be experienced during the design earthquake. Because the mathematical model accounts directly for effects of material inelastic response, the calculated internal forces will be reasonable approximations of those expected during the design earthquake. The relation between base shear force and lateral displacement of the control node shall be established for control node displacements ranging between zero and 150% of the target displacement, δ_r . [28]

In order to obtain performance points as well as the location of hinges in different stages, we can use the pushover curve. In this curve, the range AB being the elastic range, B to IO being the range of instant occupancy, IO to LS being the range of life safety and LS to CP being the range of collapse prevention. [17]

When a hinge touches point C on its force-displacement curve then that hinge must start to drop load. The manner in which the load is released from a hinge that has reached point C is that the pushover force or the base shear is reduced till the force in that hinge is steady with the force at point D. [17]

As the force is released, all of the elements unload as well as the displacement is decreased. After the yielded hinge touches the point D force level, the magnitude of pushover force is again amplified and the displacement starts to increase again. [17]

If all of the hinges are within the given CP limit then that structure is supposed to be safe. Though, the hinge after IO range may also be required to be retrofitted depending on the significance of structure. [17]

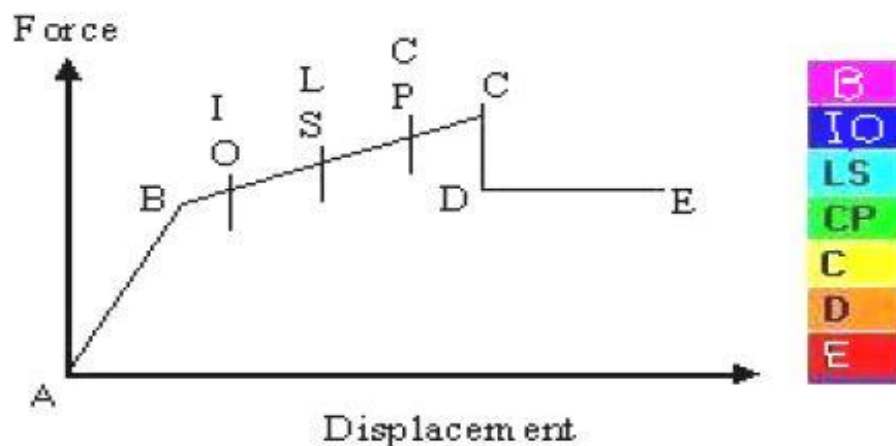


Fig. 1.2 Different stages of Plastic Hinges [17]

The basic seismic response parameters taken into consideration are- (i). Stiffness (ii). Strength (iii). Ductility.

Now, if we consider any Reinforced Concrete frame building, we can summarize the sources of weakness as:

- (i). Discontinuous load path/interrupted load path/irregular load path.
- (ii). Lack of deformation capability of structural members.
- (iii). Quality of workmanship and materials.

1.2 PROPOSED WORK AND OBJECTIVE

My research project aims at doing seismic evaluation for the institute main building using non-linear static analysis method.

The institute main building is currently the most prominent building in the institute area. However, since it was constructed some 50 years earlier, it wasn't designed to withstand earthquakes.

A thesis done earlier using Equivalent Static Method reveals that the structure will invariably fail when subjected to earthquake loads. Except beams of corridors which fail in both sagging and hogging moments, all other beams were found to pass in hogging moments only. In case of columns, the ground floor columns of classrooms pass in flexural strength but the ground floor column of corridor fails in flexure. Most beams and columns were found to pass in shear.

Taking the above results into consideration, our objective is to:

- (i) Analyze the seismic performance of the existing structure with more degree of accuracy by using Non-linear Static Analysis Method.
- (ii) Simulate the structure in SeismoStruct Version 5.2.2 in accordance to the design generated by STAAD.Pro v8i and run Pushover analysis for the limiting case of the structure to generate a pushover curve.
- (iii) Find the target displacement of the structure by using Idealized Force-Displacement Curve and Displacement Coefficient Method in accordance with ASCE 41-06.
- (iv) Studying the behavior of the structure when subjected to the Pushover Analysis by limiting the maximum displacement of the top node to the calculated target displacement.

1.3 OUTLINE OF THE WORK

The present study deals with the non-linear static pushover analysis of a 50-year old 4-story reinforced concrete structure by the use of SeismoStruct Version 5.2.2. In the process target displacement is calculated using displacement coefficient method in accordance with ASCE 41-06. The simulation of the structure analyzed in Seismostruct Version 5.2.2 was first designed in STAAD.Pro v8i considering IS 456:2000 and IS 1893(Part 1):2002 by using M15 as concrete and Fe250 to be the reinforcement steel (assuming these materials to have been used 50 years ago). The structure was designed for only dead and live loads, since earthquake loads would not have been a part of the original design.

The thesis contains five chapters. The first chapter being the introduction, which gives a superficial insight into the work which is undertaken in the project. It gives a brief description of the field of study and the various methods which may have been used for the purpose of analysis and further calculations.

The second chapter entails a detailed review of literature pertinent to the previous works done in the field under consideration. A critical discussion of the earlier works is done. The objective and present scope of study is also outlined in this chapter.

The third chapter covers the theory and formulation which includes the details about the material used, the process of simulation of the structure, base shear calculation and pushover analysis carried out for the same. The pushover curve obtained is converted into an idealized force-displacement curve and the target displacement is calculated for both the axes using the displacement coefficient method in accordance with ASCE 41-06.

The fourth chapter contains results which were obtained post analysis. The loading diagram has been shown along with the pushover curve and inter-story drift plot. The pushover curves obtained for the target displacement limits along both the axes.

The fifth chapter lists the conclusion drawn from the work and the future scope in the area.

Chapter 2

LITERATURE **REVIEW**

2.1 GENERAL

M C Griffith and A V Pinto [6] have investigated the specific details of a 4-story, 3-bay reinforced concrete frame test structure with unreinforced brick masonry (URM) infill walls with attention to their weaknesses with regards to seismic loading. The concrete frame was shown to be a “weak-column strong-beam frame” which is likely to exhibit poor post yield hysteretic behavior. The building was expected to have maximum lateral deformation capacities corresponding to about 2% lateral drift. The unreinforced masonry infill walls were likely to begin cracking at much smaller lateral drifts, of the order of 0.3%, and completely lost their load carrying ability by drifts of between 1% and 2%.

Shunsuke Otani [15] studied the development of earthquake resistant design of RCC Buildings (Past and Future). The measurement of ground acceleration started in 1930's, and the response calculation was made possible in 1940's. Design response spectra were formulated in the late 1950's to 1960's. Non-linear response was introduced in seismic design in 1960's and the capacity design concept was introduced in 1970's for collapse safety. The damage statistics of RCC buildings in 1995 Kobe disaster demonstrated the improvement of building performance with the development of design methodology. Buildings designed and constructed using outdated methodology should be upgraded. Performance basis engineering should be emphasized, especially for the protection of building functions following frequent earthquakes.

Ciro Faella, Enzo Martinelli, Emidio Nigro [4] proposed an assessment procedure in terms of displacement capacity and demand. The sample application of the proposed procedure to a typical building emphasized how easy and quick can be its application. As a brief parametrical investigation, the influence of subsoil stiffness on the seismic vulnerability of the building was analyzed pointing out that vulnerability was much larger as subsoil was less stiff. A rational design procedure for choosing the retrofitting system was proposed with the aim of determining the key mechanical characteristics of a bracing system working in parallel with the existing structure for complying the safety requirement provided by Eurocode 8 – Part 3 entirely devoted to existing structures. In the proposed design procedure, according to a displacement-based-approach, the strengthening substructure was designed in terms of lateral stiffness, because

displacement demand is strictly controlled by the displacement capacity of the existing structure. For this reason, usual force-based design procedures suitable for new structures, in which displacement capacity is only imposed by the new structure itself, are not directly applicable for bracing system utilized for retrofitting existing structures.

Oğuz, Sermin [21] ascertained the effects and the accuracy of invariant lateral load patterns utilized in pushover analysis to predict the behavior imposed on the structure due to randomly selected individual ground motions causing elastic deformation by studying various levels of nonlinear response. For this purpose, pushover analyses using various invariant lateral load patterns and Modal Pushover Analysis were performed on reinforced concrete and steel moment resisting frames covering a broad range of fundamental periods. The accuracy of approximate procedures utilized to estimate target displacement was also studied on frame structures. Pushover analyses were performed by both DRAIN-2DX and SAP2000. The primary observations from the study showed that the accuracy of the pushover results depended strongly on the load path, the characteristics of the ground motion and the properties of the structure.

Durgesh C. Rai [17] gave the guidelines for seismic evaluation and strengthening of buildings. This document was developed as part of project entitled —Review of Building Codes and Preparation of Commentary and Handbooks, awarded to Indian Institute of Technology Kanpur by the Gujarat State Disaster Management Authority (GSDMA), Gandhinagar through World Bank finances. This document was particularly concerned with the seismic evaluation and strengthening of existing buildings and it was intended to be used as a guide.

G E Thermou and A S Elnashai [23] made a global assessment of the effect of repair methods on ductility, strength and stiffness, the three most important seismic response parameters, to assist researchers and practitioners in decision-making to satisfy their respective intervention aims. Also the term ‘rehabilitation’ was used as a comprehensive term to include all types of retrofitting, repair and strengthening that leads to reduced earthquake vulnerability. The term ‘repair’ was defined as reinstatement of the original characteristics of a damaged section or element and was confined to dealing with the as-built system. The term ‘strengthening’ was defined as intervention that lead to enhancement of one or more seismic response parameters (ductility, strength, stiffness, etc.), depending on the desired performance.

A.Kadid and A. Boumrkik [8] proposed use of Pushover Analysis as a viable method to assess damage vulnerability of a building designed according to Algerian code. Pushover analysis was a series of incremental static analysis carried out to develop a capacity curve for the building. Based on the capacity curve, a target displacement which was an estimate of the displacement that the design earthquake would produce on the building was determined. The extent of damage experienced by the structure at this target displacement is considered representative of the damage experienced by the building when subjected to design level ground shaking. Since the behavior of reinforced concrete structures might be highly inelastic under seismic loads, the global inelastic performance of RC structures would be dominated by plastic yielding effects and consequently the accuracy of the pushover analysis would be influenced by the ability of the analytical models to capture these effects.

R.K. Goel [7] evaluated the nonlinear static procedures specified in the FEMA-356, ASCE/SEI 41-06, ATC-40, and FEMA-440 documents for seismic analysis and evaluation of building structures using strong-motion records of RC buildings. The maximum roof displacement predicted from the nonlinear static procedure was compared with the value derived directly from recorded motions for this purpose. It was shown that: (i) the nonlinear static procedures either overestimates or underestimates the peak roof displacement for several of the buildings considered in the investigation; (ii) the ASCE/SEI 41-06 Coefficient Method (CM), which was based on recent improvements to the FEMA-356 Coefficient Method suggested in the FEMA-440 document, does not necessarily provide better estimate of the roof displacement; and (iii) the improved FEMA-440 Capacity Spectrum Method (CSM) provided better estimates of the roof displacement compared to the ATC-40 CSM.

Saptadip Sarkar [19] studied the Design of Earthquake resistant multi stories RCC building on a sloping ground that involves the analysis of simple 2-D frames of different floor heights and varying number of bays using a software tool named STAAD Pro. Using the analysis results various graphs were drawn between the maximum compressive stress, maximum bending moment, maximum shear force, maximum tensile force and maximum axial force being developed for the frames on plane ground and sloping ground. The graphs were used to draw comparisons between the two cases and the detailed study of Short Column Effect failure. In

addition to that, the feasibility of the software tool to be used was also checked and the detailed study of seismology was undertaken.

Siamak Sattar and Abbie B. Liel [20] quantified the effect of the presence and configuration of masonry infill walls on seismic collapse risk. Infill panels are modeled by two nonlinear strut elements, which have compressive strength only. Nonlinear models of the frame-wall system were subjected to incremental dynamic analysis in order to assess seismic performance. There was an increase observed in initial strength, stiffness, and energy dissipation of the infilled frame, when compared to the bare frame, even after the wall's brittle failure modes. Dynamic analysis results indicated that fully-infilled frame had the lowest collapse risk and the bare frames were found to be the most vulnerable to earthquake-induced collapse. The better collapse performance of fully-infilled frames was associated with the larger strength and energy dissipation of the system, associated with the added walls.

Benyamin Monavari, Ali Massumi & Alireza Kazem [11] used nonlinear static analysis and five locals and overall yields and failure criteria to estimate seismic demands of buildings. The failure is directed towards losing structure's performance during the earthquake or subsequent effects. Because of the consequent excitations of an earthquake or lateral imposed loads on a structure, the stiffness of some elements of structure reduced and the structure started to fail and lose its performance; although failure happened either in small parts of structure or at the whole. In this study thirteen reinforced concrete (RC) frame buildings with 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 16 and 20 stories, having 3 and 4 bays were designed using seismic force levels obtained from the Iranian Seismic Code 2005 and proportioned using the ACI318-99 Building Code and then were modeled by IDARC. Pushover analysis with increasing triangular loading was used.

Haroon Rasheed Tamboli & Umesh N. Karadi [22] performed seismic analysis using Equivalent Lateral Force Method for different reinforced concrete (RC) frame building models that included bare frame, infilled frame and open first story frame. In modeling of the masonry infill panels the Equivalent diagonal Strut method was used and the software ETABS was used for the analysis of all the frame models. Infilled frames should be preferred in seismic regions than the open first story frame, because the story drift of first story of open first story frame is very large than the upper stories, which might probably cause the collapse of structure. The infill

wall increases the strength and stiffness of the structure. The seismic analysis of RC (Bare frame) structure lead to under estimation of base shear. Therefore other response quantities such as time period, natural frequency, and story drift were not significant. The underestimation of base shear might lead to the collapse of structure during earthquake shaking.

Narender Bodige, Pradeep Kumar Ramancharla [3] modeled a 1 x 1 bay 2D four storied building using AEM (applied element method). AEM is a discrete method in which the elements are connected by pair of normal and shear springs which are distributed around the elements edges and each pair of springs totally represents stresses and deformation and plastic hinges location are formed automatically. Gravity loads and laterals loads as per IS 1893-2002 were applied on the structure and designed using IS 456 and IS 13920. Displacement control pushover analysis was carried out in both cases and the pushover curves were compared. As an observation it was found that AEM gave good representation capacity curve. From the case studies it was found that capacity of the building significantly increased when ductile detailing was adopted. Also, it was found that effect on concrete grade and steel were not highly significant.

2.2 SUMMARY OF REVIEW

Pushover analysis yields insight into elastic and inelastic response of structures under earthquakes provided that adequate modeling of structure, careful selection of lateral load pattern and careful interpretation of results are performed. However, pushover analysis is more appropriate for low to mid-rise buildings with dominant fundamental mode response. For special and high-rise buildings, pushover analysis should be complemented with other evaluation procedures since higher modes could certainly affect the response.

2.3 STUDY AREA

Seismic Engineering is a sub discipline of the broader category of Structural engineering. Its main objectives therefore are-

- To understand interaction of structures with the shaky ground.
- To foresee the consequences of possible earthquakes.
- To design, construct and maintain structures to perform at earthquake exposure up to the expectations and in compliance with building codes.

The methodologies available so far for the evaluation of existing buildings can be divided into two categories-(i) Qualitative method (ii) Analytical method.

In the same realm, seismic analysis is a subset of structural analysis and is the calculation of the response of a structure to earthquakes. It is part of the process of structural design, earthquake engineering or structural assessment and retrofit in regions where earthquakes are prevalent. Structural analysis methods can be divided into the following categories-

- Equivalent Static Analysis
- Response Spectrum Analysis
- Linear Dynamic Analysis
- Nonlinear Static Analysis
- Nonlinear Dynamic Analysis

In this study we have used “Pushover Analysis” for assessment of the considered four-story RC structure. Pushover Analysis is essentially the extension of the “lateral force procedure” of static analysis into non-linear regime. It is carried out under constant gravity loads and monotonically increasing lateral loading applied on the masses of the structural model. [5]

A pattern of forces is applied to a structural model that includes non-linear properties (such as steel yield), and the total force is plotted against a reference displacement to define a capacity curve. This loading is meant to simulate inertia forces due to only the horizontal component of the seismic action, neglecting the vertical component altogether. While the applied lateral forces increase in the course of analysis, the engineer can follow the gradual emergence of plastic hinges, the evolution of plastic mechanism and damage, as a function of the magnitude of the imposed lateral loads and of the resulting displacements. [5]

Unlike linear or non-linear dynamic analysis, which both give directly all peak seismic demands under a given earthquake, a pushover analysis per se gives only the capacity curve. The demand has to be estimated separately. This is normally done in terms of the maximum displacement induced by the earthquake, either to the equivalent SDOF system or at the control node of the full structure. This is called “target displacement”. [5]

The demands at the local level (inelastic deformations and forces) due to the horizontal component of the seismic action in the direction of the pushover analysis are those corresponding to the “target displacement”. It is required to carry out the pushover until a terminal point at 1.5 times the “target displacement”. [5] Target displacement can be determined by any of the following methods: (i) Capacity Spectrum Method (ii) Displacement Coefficient Method (iii) N2 Method.

Chapter 3

THEORY AND FORMULATION

3.1 Non-linear static Pushover Analysis-The Concept:

The pushover analysis of a structure is a static non-linear analysis under permanent vertical loads and gradually increasing lateral loads. A plot of total base shear versus top displacement in a structure is obtained by this analysis that would indicate a premature failure or weakness. All the beams and columns which reach yield or have experienced crushing and even fracture are identified. A plot of total base shear versus inter-story drift is also obtained. A pushover analysis is performed by subjecting a structure to a monotonically increasing pattern of lateral loads, that shows the inertial forces which would be experienced by the structure when subjected to ground motion. Under incrementally increasing loads many structural elements may yield sequentially. Therefore, at each event, the structure experiences a decrease in stiffness. Using a non-linear static pushover analysis, a representative non-linear force displacement relationship can be obtained.

3.1.1 Background:

Nonlinear static analysis, or pushover analysis, has been advanced over the past twenty years and has now become the most preferred analysis technique for design and seismic performance estimation purposes as this technique is comparatively simple and considers post- elastic performance. However, this technique includes certain approximations and simplifications due to which some extent of variation is always probable to exist in the seismic demand prediction of pushover analysis. [13]

Though, pushover analysis is known to capture vital structural response characteristics when the structure is under seismic action, however the reliability and the accuracy of pushover analysis in estimating global and local seismic demands for all of the structures have been a topic of discussion and enhanced in pushover procedures have been suggested to overcome certain limitations of traditional pushover techniques. However, the improved techniques are mostly computationally hard and theoretically complex

therefore use of such techniques are impractical in engineering profession and codes. As traditional pushover analysis is used widely for the design and seismic performance estimation purposes, therefore its weaknesses, limitations and predictions accuracy in routine application must be identified by studying all the factors that the pushover prediction. That is, the applicability of pushover analysis for predicting seismic demands must be investigated for low-rise, mid-rise and high-rise structures by recognizing certain issues like modeling nonlinear member performance, computational scheme of the technique, efficiency of invariant lateral load patterns in demonstrating higher mode effects, variations in the estimations of different lateral load patterns used in traditional pushover analysis and precise estimation of target displacement where seismic demand prediction of pushover technique is executed.

3.1.2 Necessity of Non-linear static Pushover Analysis:

Since the Institute Main Building (structure under consideration) was constructed more than 50 years ago, it may be vulnerable to seismic excitation. Hence to estimate the performance of the structure a Pushover analysis for the structure has been carried out. If the structure shows signs of failure then suitable retrofit measures may also be suggested.

3.1.3 Limitations of Pushover Analysis:

Although pushover analysis has certain advantages in comparison to elastic analysis techniques, underlying various assumptions, the accuracy of pushover predictions and the restrictions of current pushover procedures must be recognized. The estimation of target displacement, selection of the lateral load patterns and identification of failure mechanisms due to higher modes of vibration are vital issues that have an effect on the accuracy of pushover result. Target displacement is global displacement likely in a design earthquake. [9]

In pushover analysis, target displacement for a multi degree of freedom (MDOF) system is generally estimated similar to the displacement demand for corresponding equivalent single degree of freedom (SDOF) system. The fundamental properties of an equivalent SDOF system are gotten from a shape vector that represents the deflected shape of MDOF system. Most

researchers recommend using the normalized displacement profile at target displacement level as a shape vector, but since this displacement is not known beforehand, an iteration is needed. Therefore, by most of the approaches, a fixed shape vector, elastic first mode, is utilized for simplicity without regarding higher modes. The target displacement is found by the roof displacement at mass center of the structure. [9]

The accurate estimation of the target displacement associated with particular performance objective, has an effect on accuracy of the seismic demand predictions of pushover analysis. Furthermore, hysteretic characteristics of MDOF must be incorporated into the equivalent SDOF model, in case displacement demand is affected from stiffness degradation or pinching, strength deterioration, P- Δ effects. Foundation uplift, torsional effects as well as semi-rigid diaphragms may also affect target displacement. [9]

However, in pushover analysis, usually an invariant lateral load pattern is utilized that the distribution of the inertia forces is assumed to be not changing during earthquake and deformed configuration of the structure under the action of invariant lateral load pattern is likely to be similar to that which is experienced in the design earthquake. As response of the structure, therefore the capacity curve is highly sensitive to the lateral load distribution selected choice of lateral load pattern is more critical as compared to the accurate estimation of the target displacement. [10]

The invariant load patterns cannot explain the redistribution of inertia forces because of progressive yielding and resulting variations in dynamic properties of structure. Also, fixed load patterns have inadequate capability to foretell higher mode effects in post-elastic range. These restrictions have led many researchers to suggest adaptive load patterns that consider the variations in inertia forces corresponding to the level of inelasticity. The basic approach of this technique is to restructure the lateral load shape with the degree of inelastic deformations. Although better predictions have been found from adaptive load patterns, they make pushover analysis computationally hard and theoretically complicated. The measure of improvement has been a topic of discussion that simple invariant load patterns are preferred widely at the expense of accuracy. [14] We have used an invariant triangular loading pattern here.

3.2 Material Specifications:

1. Steel Reinforcement

Modelled as *uniaxial bilinear stress-strain* model with kinematic strain hardening

Material Properties	
Modulus of Elasticity (kPa)	2.00E+08
Yield Strength (kPa)	250000
Strain Hardening Parameter (-)	0.005
Fracture/Buckling Strain (-)	0.1
Specific Weight (kN/m3)	78

Table 3.1 Material Properties: Steel

Parameters required :

- i. Modulus of elasticity - E_s
- ii. Yield strength - f_y
- iii. Fracture/buckling strain - ϵ_{ult}
- iv. Strain hardening parameter - μ ,

where $\mu = \frac{\text{post - yield stiffness } (E_{sp})}{\text{initial elastic stiffness } (E_s)}$.

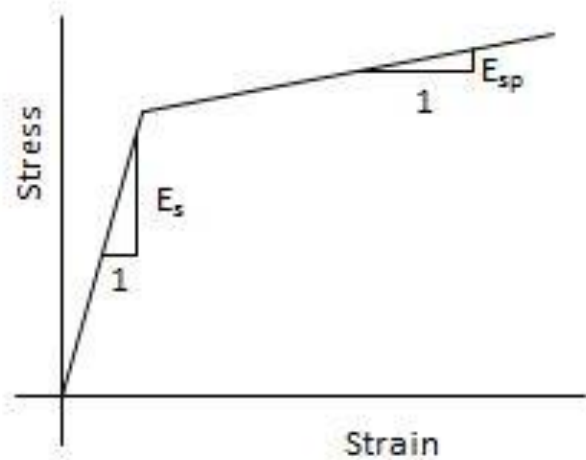


Fig. 3.1 Stress-Strain curve for Bilinear Steel

2. Concrete

Modelled as Non-linear material according to Mander et. al. [1988].

Material Properties	
Compressive Strength (kPa)	15000
Tensile Strength (kPa)	0
Strain at Peak Stress (m/m)	0.002
Confinement Factor (-)	1.2
Specific Weight (kN/m3)	24

Table 3.2 Material Properties: Concrete

Parameters required :

- i. Compressive strength - f_c
- ii. Tensile strength - f_t
- iii. Strain at peak stress - ϵ_c
- iv. Confinement factor - k_c ,

where $k_c = \frac{\text{confined compressive stress}}{\text{unconfined compressive stress}}$.

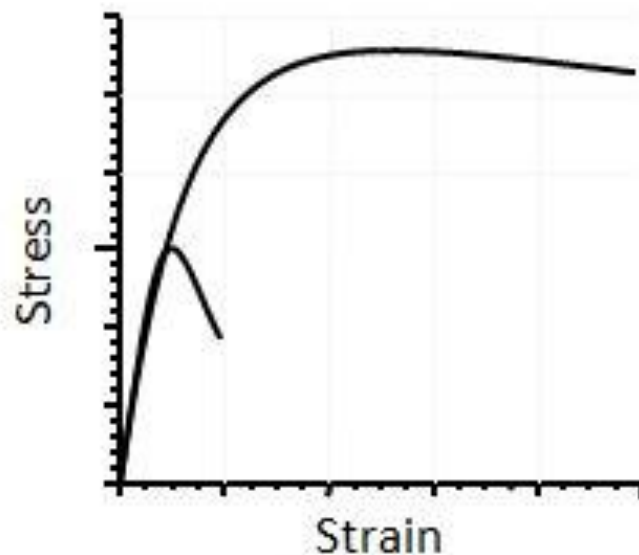


Fig 3.2 Stress-Strain curve for Mander's non-linear concrete

3.3 Data Compilation and Calculations:

Total sections of beams provided-

- 620mm x 400mm
- 430mm x 370mm
- 400mm x 300mm
- 400mm x 330mm
- 350mm x 200mm

Total sections of columns provided-

- 450mm x 275mm
- 337mm x 550mm
- 450mm x 550mm
- 525mm x 550mm
- 475mm x 575mm

Lumped mass is calculated and applied for each node which is the effective load acting on the node due to the dead weight of the floor slab and the infill walls.

Reinforcement in beam and column sections for the structure are calculated using STAAD.Pro using only gravity load condition with M15 concrete and Fe250 steel reinforcement assumed in accordance with the expectation for a 50 year old building.

These sections are assigned to the simulation of the structure made in Seismostruct and lumped masses are also assigned to each node. Thus the structure is simulated in Seismostruct with 4 stories-8 bays-3 frames.

This structure is loaded from x-axis and y-axis to get separate performance curves for each axes. Incremental load (triangular loading) is applied to the structure.

3.3.1 Calculation of Base Shear:

According to clause 7.5 of IS 1893(Part 1):2000, base shear may be calculated as,

$$V_B = A_h \cdot W ,$$

where A_h = design horizontal seismic coefficient for the structure, and may be calculated using,

$$A_h = \left(\frac{Z}{2}\right)\left(\frac{I}{R}\right)\left(\frac{S_a}{g}\right),$$

where W = seismic weight of the structure.

Here, Z is the “Zone Factor”. This is a factor used to obtain a design spectrum depending on the perceived maximum risk characterized by maximum considered earthquake (MCE) in the zone in which structure is located. Zone factor has been given in **Table 2 of IS 1893 (Part 1):2002**. Z can also be determined from the seismic zone map of India, which is shown in **figure 1 of IS 1893 (Part 1):2002**. [1]

Also, I is the “Importance Factor”. This is a factor used to obtain the design seismic force depending upon the functional use of the building. The minimum values of I are given in **Table 6 of IS 1893 (Part 1):2002**. [1]

The term R is “Reduction Factor”. This is the factor by which actual base shear force, which is generated if the structure were to remain elastic during its response to the design basis earthquake shaking, shall be reduced to obtain the designed lateral force. The value of R is given in **Table 7 of IS 1893 (Part 1):2002**. [1]

And T is the “Time Period”. The fundamental natural periods for buildings are given in **Clause 7.6 of IS 1893(Part 1):2002**. [1]

Also $\frac{S_a}{g}$ is the average Response acceleration coefficient for rock and soil sites as given by

Figure 2 of IS 1893 (Part 1):2002.

With the use of the software STAAD.Pro v8i the Base Shear was calculated in accordance with IS 1893(Part 1):2000, and estimated to be **499.3kN**.

This base shear is shared amongst each floor as:

- *Loading along x-axis:*
11.095 kN (Slab Level 1)
22.191 kN (Slab Level 2)
33.287 kN (Slab Level 3)
44.382 kN (Slab Level 4)
55.478 kN (Slab Level 5)
- *Loading along y axis:*
3.6985 kN (Slab Level 1)
7.397 kN (Slab Level 2)
11.095 kN (Slab Level 3)
14.794 kN (Slab Level 4)
18.4926 kN (Slab Level 5)

3.3.2 Loading Phases:

x-axis loading-

- Target Displacement: **0.600 m**
- No. of steps: **1200**

y-axis loading-

- Target Displacement: **0.600 m**
- No. of steps: **200**

After loading the building along both the directions in the above discussed fashion the structure reached failure at little less than 525 mm during the x-axis loading and around 550 mm when loaded along y-axis as can be seen in the pushover plots.

3.3.3. Calculation of Seismic Weight:

Section	Length	Number	Volume
0.43x0.37	24.12	5	19.18746
0.40x0.33	24.12	5	3.18384
0.40x0.30	24.12	5	14.472
0.62x0.40	8.89	45	99.2124
0.35x0.20	2.95	10	2.065
0.57x0.47	15.0	4	16.074
0.28x0.45	15.0	9	17.01
0.55x0.52	15.0	4	17.16
0.55x0.34	15.0	2	5.61
0.55x0.45	15.0	8	29.7

(Table 3.3 Beam and Column Section Details: Seismic Weight Calculation)

Total volume = 223.6747m^3

Seismic weight due to dead load (beam + column) = $(223.6747\text{m}^3) \times (24\text{kN/m}^3) = 5368.2\text{kN}$

Seismic weight due to dead load (slab) = $(238.1\text{m}^2) \times (3.7\text{kN/m}^2) = (880.97\text{kN}) \times 4 = 3523.88\text{kN}$

Seismic weight due to imposed load = $(238.1\text{m}^2) \times (4\text{kN/m}^2) \times 0.5 \times 3 = 1428.6\text{kN}$

Hence, total seismic weight, $W = 10320.68\text{kN}$

3.3.4 Calculation of Target Displacement:

Calculation of K_e and V_y :

The nonlinear force-displacement relationship between base shear and displacement of the control node shall be replaced with an idealized relationship to calculate the effective lateral stiffness, K_e , and effective yield strength, V_y , of the building.

1. This relationship was bilinear, with initial slope K_e and post-yield slope α .

2. Line segments on the idealized force-displacement curve was located using an iterative graphical procedure that approximately balances the area above and below the curve.
3. The effective lateral stiffness, K_e , was taken as the secant stiffness calculated at a base shear force equal to 60% of the effective yield strength of the structure.
4. The post-yield slope, α , was determined by a line segment that passes through the actual curve at the calculated target displacement.
5. The effective yield strength should not be taken as greater than the maximum base shear force at any point along the actual curve.

x-axis loading:

Using IS 1893(Part 1):2000, we have,

$$T_a = 0.09 \frac{h}{\sqrt{d}}$$

For x-axis loading,

$$(T_i)_x = 0.09 \times \frac{15}{\sqrt{24.12}} = 0.27488 \text{ s or } 0.275 \text{ s}$$

Now, from ASCE 41-06, the effective fundamental period,

$$T_e = T_i \sqrt{\frac{k_i}{k_e}},$$

where,

T_i ; = elastic fundamental period (in seconds) in the direction under consideration calculated by elastic dynamic analysis;

K_i , = elastic lateral stiffness of the building in the direction under consideration calculated using the modeling requirements of Section 3.2.2.4; and

K_e , = effective lateral stiffness of the building in the direction under consideration.

From x axis loading graph, we can see that slope k_e and k_i are almost equal. For our calculations we have taken the approximation to be negligible and hence, since $k_e=k_i$, we now have $T_e=T_i$.

i.e $T_e = T_i = 0.275s$

Now, using ASCE 41-06, target displacement can be calculated using,

$$\delta_t = C_0 C_1 C_2 S_a \frac{T^2}{4\pi^2} g$$

The coefficient C_0 relates the elastic response of an SDF system to the elastic displacement of the MDF building at the control node taken as the first mode participation factor. From Table 3-2 of ASCE 41-06, we can get C_0 as,

$$C_0 = 1.35.$$

Now, according to ASCE 41-06,

$$C_1 = 1 + \frac{R-1}{aT_e^2}, \text{ where } a = \text{site class factor and } R = \frac{S_a}{V_y / W} \cdot C_m$$

The value of “a” is equal to 130 for soil site class A and B, 90 for soil site class C, and 60 for soil site classes D, E, and F according to 3.3.3.3.2 of ASCE 41-06. Using expert opinion on the matter and referring suitable material on the subject the site class factor, $a=60$. The soil on site has been taken as belonging to “Class D” according to the parameters given in Clause 1.6.1.4.1 of ASCE 41-06.

And, according to Section 1.6.1.5.3 of ASCE 41-06, the generalized value of S_a can be found using either,

$$S_a = S_{xs} \left[\left(\frac{5}{B_1} - 2 \right) \frac{T}{T_s} + 0.4 \right] \text{ for } 0 < T < T_0,$$

$$\text{or } S_a = \frac{S_{xs}}{B_1} \text{ for } T_0 \leq T \leq T_s,$$

or $S_a = \frac{S_{XS}}{(B_1 T)}$ for $T > T_s$, where $T_s = \frac{S_{X1}}{S_{XS}}$ and $T_0 = 0.2T_s$

$$\text{and } B_1 = \frac{4}{[5.6 - \ln(100\beta)]}.$$

According to 1.6.1.5.3 of ASCE 41-06, due to absence of external cladding and presence of simple RC frame, the damping of the structure is assumed to be 2%.

Hence, $\beta = 0.02$, and thus,

$$B_1 = \frac{4}{5.6 - 0.693}.$$

Since Rourkela is in Zone II, which fall under the category of low level of seismicity, according to the Table 1-6 of ASCE 41-06, $S_{XS} < 0.167$.

Hence let us assume $S_{XS} = 0.165$.

Since the effective fundamental time period is 0.275s we can assume $T_0 \leq T \leq T_s$ (plateau region of the spectral curve).

$$\text{Hence using } S_a = \frac{S_{XS}}{B_1} = \frac{0.165}{0.815} = 0.202454.$$

Also, from the graph, we get $V_y = 1300\text{kN}$.

Total Seismic Weight of the building according to the calculations, $W = 10320.68\text{ kN}$.

According to Table 3-1 (ASCE 41-06),

$$C_m = 0.9$$

Hence, substituting values in, $R = \frac{S_a}{V_y / W} \cdot C_m$, we get,

$$\text{Or } R = \frac{0.202454}{1300 / 10320.68} \times 0.9$$

i.e. $R = 1.44655$.

Substituting the values in the formula for C_1 , we get,

$$C_1 = 1 + \frac{R-1}{aT_e^2} = 1 + \frac{1.44655-1}{60(0.275)^2} = 1.0984.$$

$$\text{Now, } C_2 = 1 + \frac{1}{800} \left(\frac{R-1}{T_e} \right)^2,$$

$$\text{Or } C_2 = 1 + \frac{1}{800} \left(\frac{1.44655-1}{0.275} \right)^2,$$

$$\text{Or } C_2 = 1.0033$$

Using, the above calculated values in the target displacement formula,

$$\delta_t = C_0 C_1 C_2 S_a \frac{T^2}{4\pi^2} g,$$

$$\text{Or } \delta_t = (1.35)(1.0984)(1.0033)(0.202454) \frac{(0.275)^2}{4\pi^2} \cdot (9.81),$$

$$\text{Or } \delta_t = 0.00566m = 5.66mm$$

Hence the pushover curve for the structure with x-axis loading will be loaded for a displacement of 150% of δ_t which is **8.48765mm** at the top node.

y-axis loading:

Using IS 1893(Part 1):2000, we have,

$$T_a = 0.09 \frac{h}{\sqrt{d}}$$

For y-axis loading,

$$(T_i)_y = 0.09X \frac{15}{\sqrt{11.84}} = 0.392s$$

Now, from ASCE 41-06, the effective fundamental period,

$$T_e = T_i \sqrt{\frac{k_i}{k_e}},$$

where,

T_i ; = elastic fundamental period (in seconds) in the direction under consideration calculated by elastic dynamic analysis;

K_i , = elastic lateral stiffness of the building in the direction under consideration calculated using the modeling requirements of Section 3.2.2.4; and

K_e , = effective lateral stiffness of the building in the direction under consideration.

From y axis loading graph, we can evaluate the ratio k_i/k_e to be used in,

$$T_e = T_i \sqrt{\frac{k_i}{k_e}}, \text{ as,}$$

$$T_e = 0.392 \sqrt{\frac{28571.42857}{24444.4444}},$$

$$\text{i.e. } T_e = 0.4238s.$$

Now, using ASCE 41-06, target displacement can be calculated using,

$$\delta_t = C_0 C_1 C_2 S_a \frac{T^2}{4\pi^2} g.$$

The coefficient C_0 relates the elastic response of an SDF system to the elastic displacement of the MDF building at the control node taken as the first mode participation factor. From Table 3-2 of ASCE 41-06, we can get C_0 as,

$$C_0 = 1.35.$$

Now, according to ASCE 41-06,

$$C_1 = 1 + \frac{R-1}{aT_e^2}, \text{ where } a = \text{site class factor and } R = \frac{S_a}{V_y / W} \cdot C_m.$$

The value of “a” is equal to 130 for soil site class A and B, 90 for soil site class C, and 60 for soil site classes D, E, and F according to 3.3.3.3.2 of ASCE 41-06. Using expert opinion on the matter and referring suitable material on the subject the site class factor, a=60. The soil on site has been taken as belonging to “Class D” according to the parameters given in Clause 1.6.1.4.1 of ASCE 41-06.

And, according to Section 1.6.1.5.3 of ASCE 41-06, the generalized value of S_a can be found using either,

$$S_a = S_{xs} \left[\left(\frac{5}{B_1} - 2 \right) \frac{T}{T_s} + 0.4 \right], \text{ for } 0 < T < T_0,$$

$$\text{or } S_a = \frac{S_{xs}}{B_1} \text{ for } T_0 \leq T \leq T_s,$$

$$\text{or } S_a = \frac{S_{xs}}{(B_1 T)} \text{ for } T > T_s, \text{ where } T_s = \frac{S_{x1}}{S_{xs}} \text{ and } T_0 = 0.2T_s,$$

$$\text{and } B_1 = \frac{4}{[5.6 - \ln(100\beta)]}.$$

According to 1.6.1.5.3 of ASCE 41-06, due to absence of external cladding and presence of simple RC frame, the damping of the structure is assumed to be 2%.

Hence, $\beta = 0.02$, and thus,

$$B_1 = \frac{4}{5.6 - 0.693}.$$

Since Rourkela is in Zone II, which fall under the category of low level of seismicity, according to the Table 1-6 of ASCE 41-06, $S_{xs} < 0.167$.

Hence let us assume $S_{xs} = 0.165$.

Since the effective fundamental time period is 0.4238s we can assume $T_0 \leq T \leq T_s$ (plateau region of the spectral curve).

Hence using $S_a = \frac{S_{xs}}{B_1} = \frac{0.165}{0.815} = 0.202454$.

Also, from the graph, we get $V_y = 1833 \text{ kN}$.

Total Seismic Weight of the building according to the calculations, $W = 10320.68 \text{ kN}$.

According to Table 3-1 (ASCE 41-06),

$$C_m = 0.9$$

Hence, substituting values in, $R = \frac{S_a}{V_y / W} \cdot C_m$, we get,

$$R = \frac{0.202454}{1833 / 10320.67} \times 0.9,$$

or $R = 1.026$.

Substituting the values in the formula for C_1 , we get,

$$C_1 = 1 + \frac{R-1}{aT_e^2} = 1 + \frac{1.026-1}{60(0.4238)^2} = 1.0024.$$

$$\text{Now, } C_2 = 1 + \frac{1}{800} \left(\frac{R-1}{T_e} \right)^2$$

$$C_2 = 1 + \frac{1}{800} \left(\frac{1.026-1}{0.4238} \right)^2 = 1.000004705$$

Using, the above calculated values in the target displacement formula,

$$\delta_t = C_0 C_1 C_2 S_a \frac{T^2}{4\pi^2} g,$$

$$\text{Or } \delta_i = (1.35)(1.0024)(1.000004705)(0.202454) \frac{(0.4238)^2}{4\pi^2} (9.81) ,$$

$$\text{Or } \delta_i = 0.0122274m = 12.2274mm$$

Hence the pushover curve for the structure with y-axis loading will be loaded for a displacement of 150% of δ_i which is **18.34mm** at the top node.

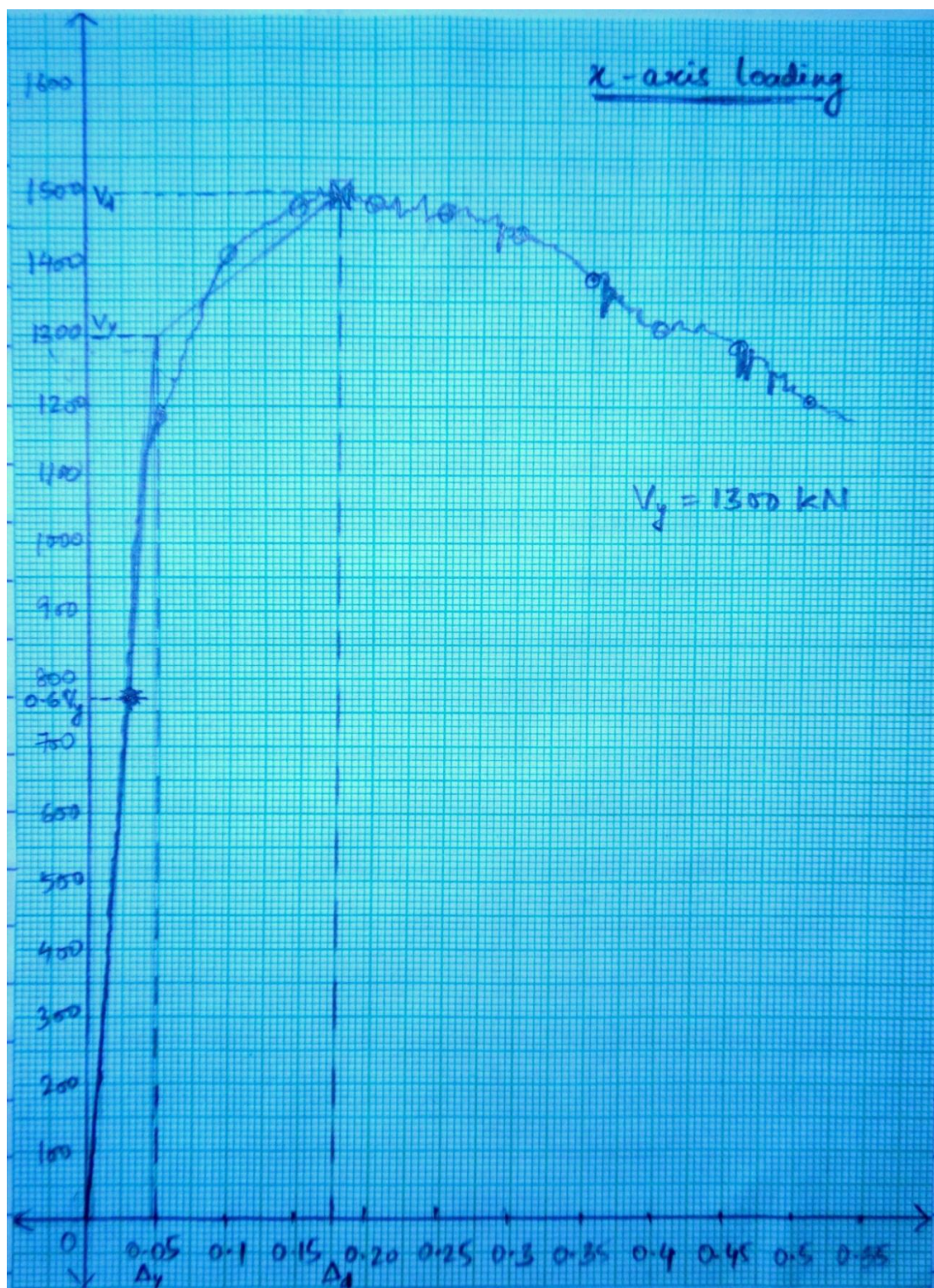


Fig. 3.3 Idealized pushover curve: x axis loading

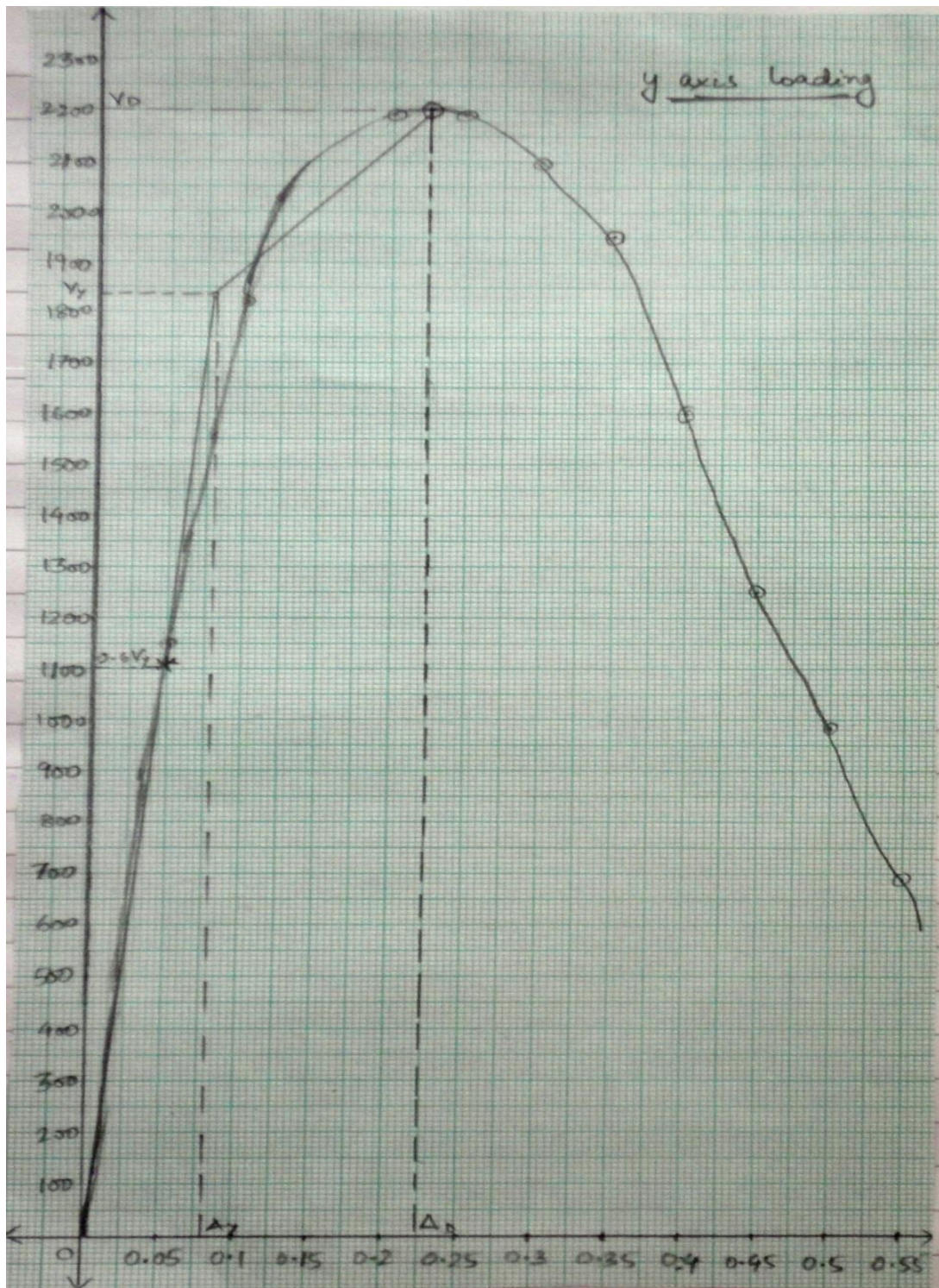


Fig 3.4 Idealized pushover curve: y axis loading

Chapter 4

RESULTS

4.1 RESULTS:

1. For x-axis loading:

- 3-D Rendering

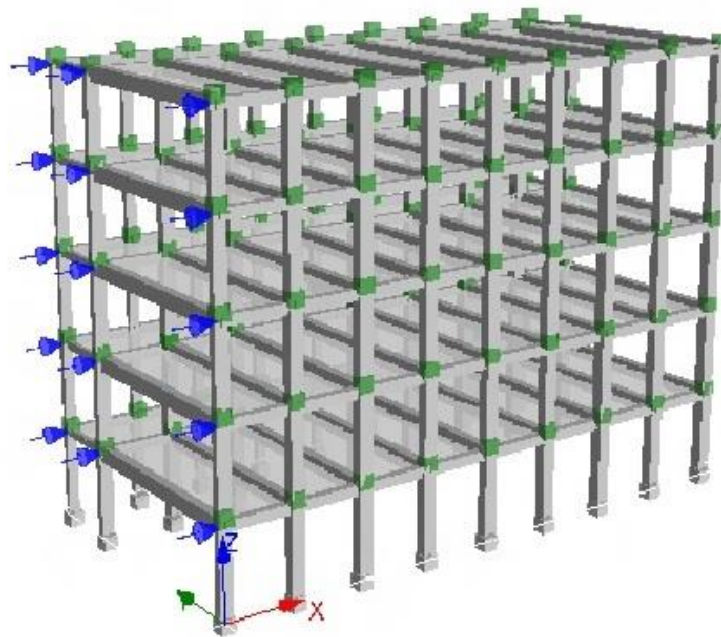


Fig 4.1 3-D rendering for x-axis loading

- Roof Displacement versus Base Shear Plot

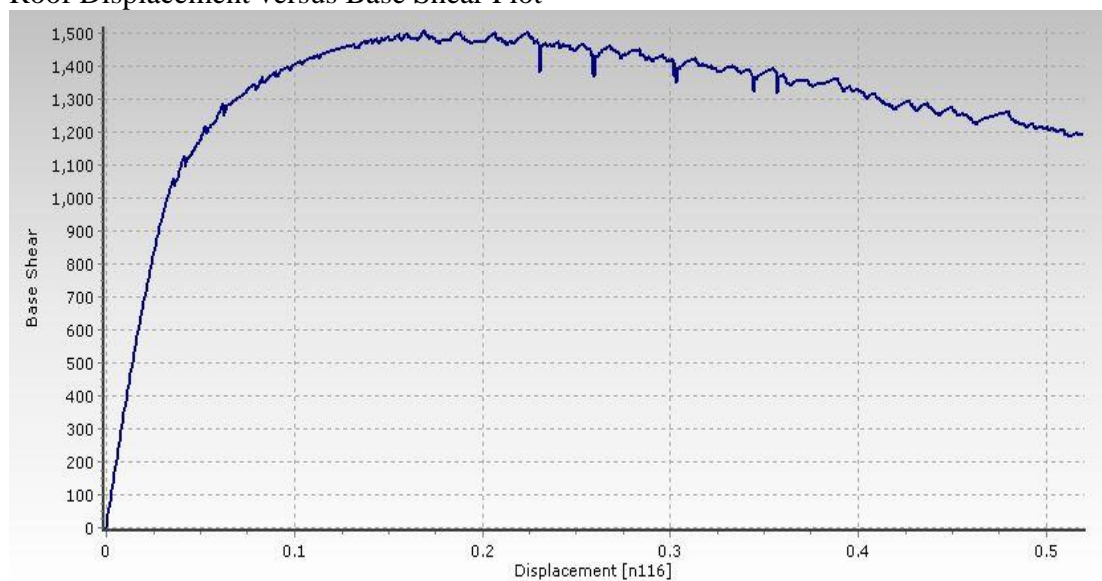


Fig 4.2 Capacity curve generated upon x-axis loading

- Inter-story Drift versus Base Shear Plot

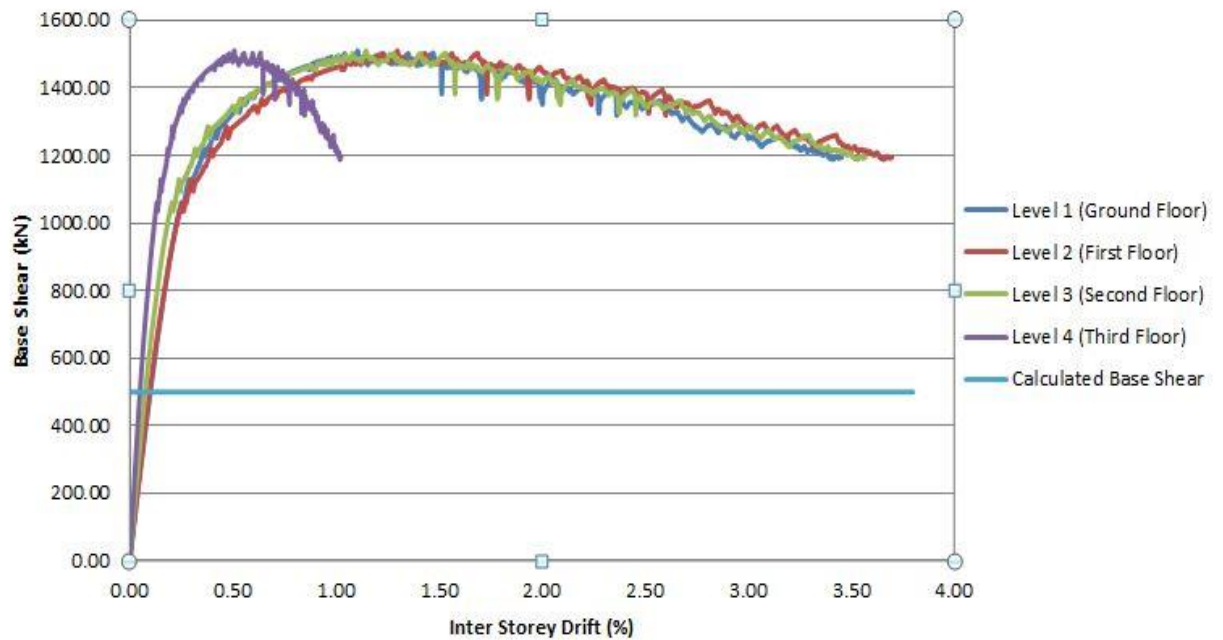


Fig 4.3 Inter-story Drift versus Base Shear Plot upon x-axis loading

2. For y-axis loading:

- 3-D Rendering

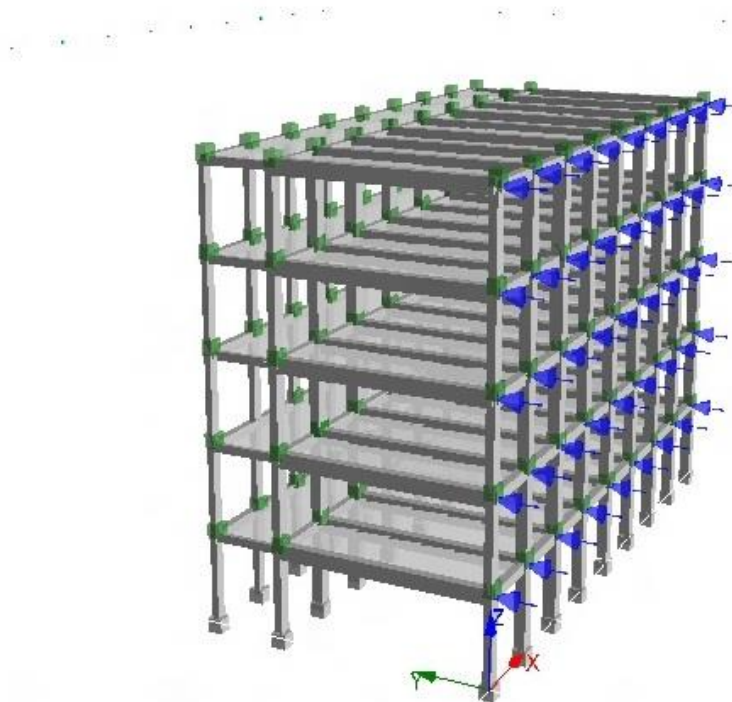


Fig 4.4 3-D rendering for y-axis loading

- Roof Displacement versus Base Shear Plot

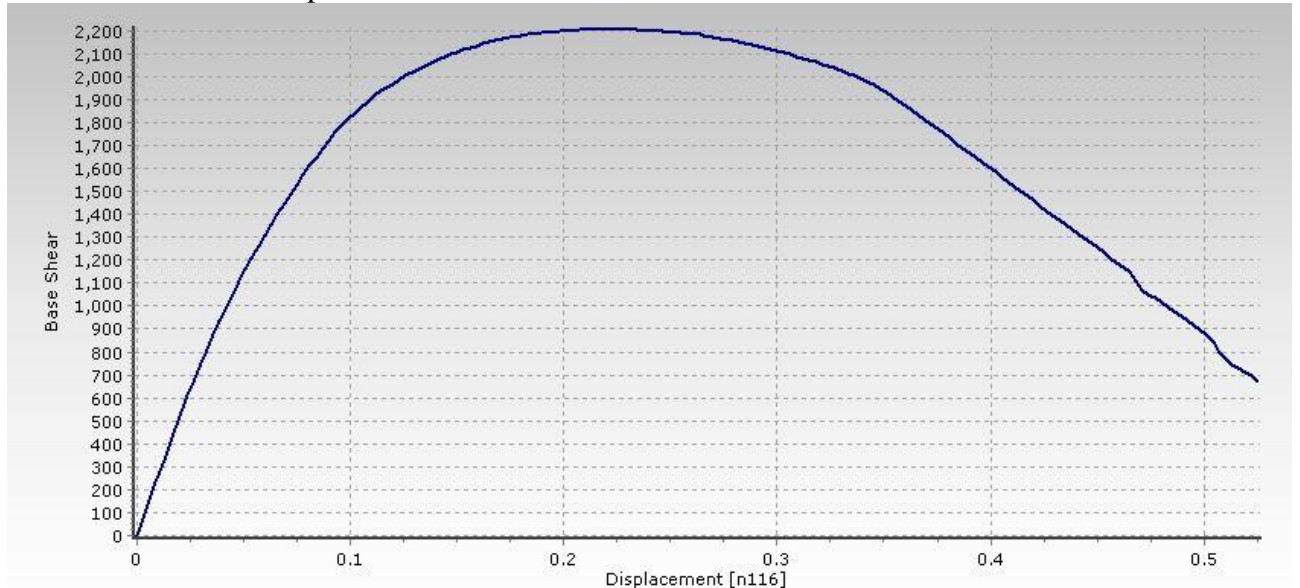


Fig 4.5 Capacity curve generated upon y-axis loading

- Inter-story Drift versus Base Shear Plot

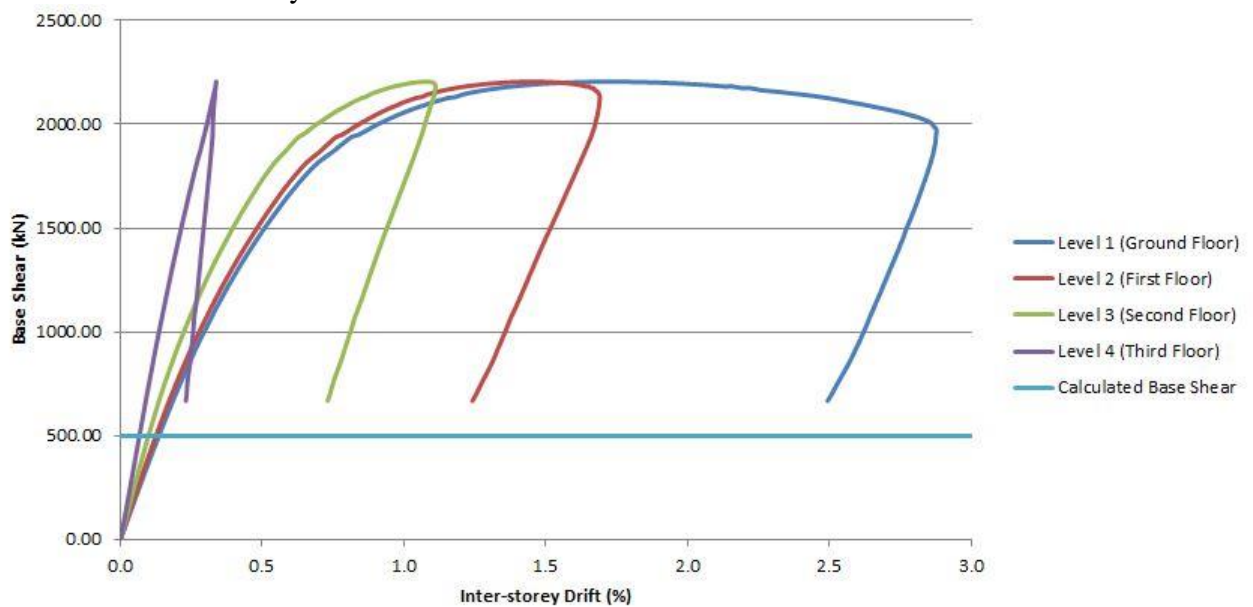


Fig 4.6 Inter-story Drift versus Base Shear Plot upon y-axis loading

The target displacement calculated in Chapter 3 in section 3.3.4 is used in SeismoStruct Version 5.2.2 for both x-axis loading and y axis loading to generate pushover curves which indicate the behavior of the structure.

Pushover curves for calculated Target Displacements:

1. The maximum top node displacement given is **8.48765mm**.

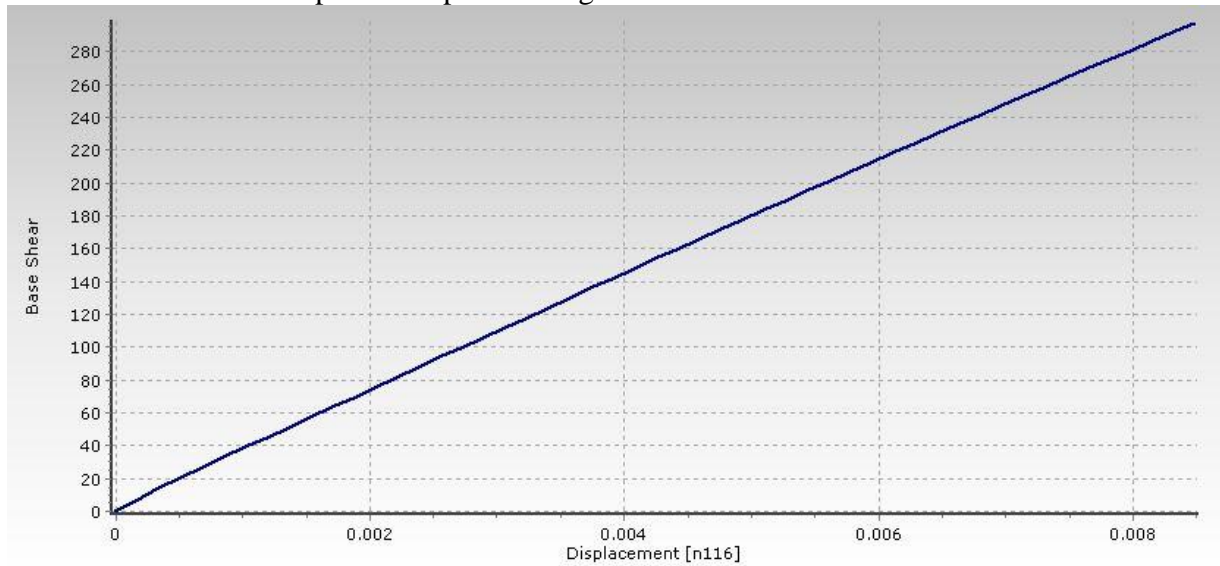


Fig 4.7 Pushover Curve for x axis loading up to target displacement

2. The maximum top node displacement given is **18.34mm**.

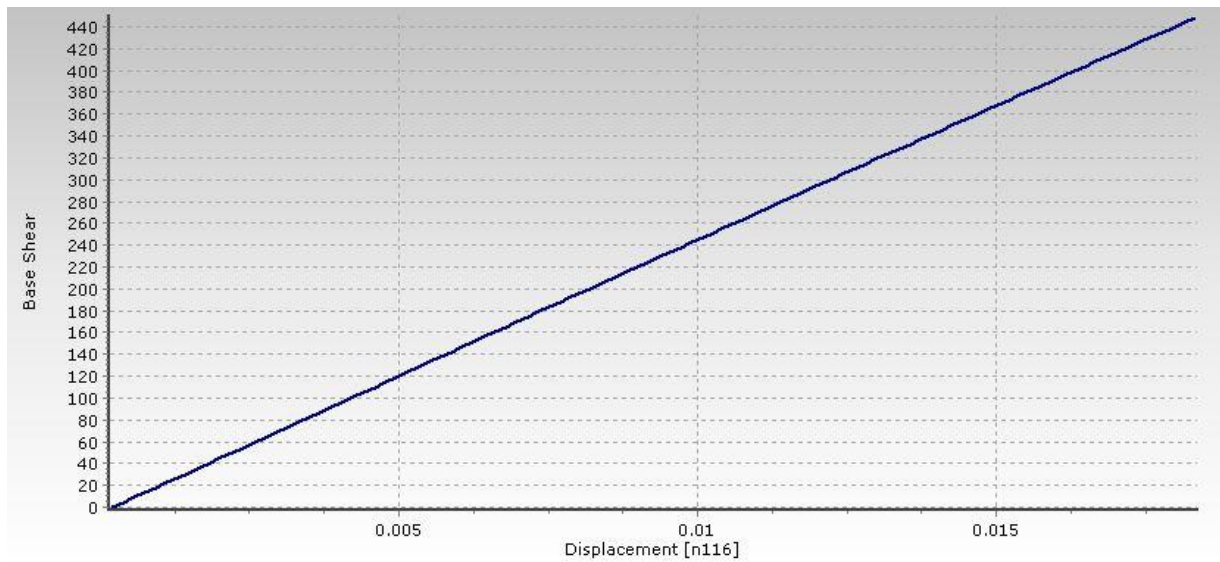


Fig 4.8 Pushover Curve for y axis loading up to target displacement

4.2 DISCUSSION:

- The pushover analysis was an ideal method used to explore the non-linear behavior of the structure and for assessing the inelastic strength and deformation demands and for exposing design weakness.
- The materials assumed were (M15) Mander's concrete and (Fe250) bilinear steel.
- The performance criteria for the material in the simulation was: crushing strain limit for unconfined concrete- 0.0035; crushing strain limit for confined concrete- 0.008; yield strain limit for steel- 0.0025; fracture strain limit for steel- 0.060.
- The pushover curve obtained upon loading the structure to collapse was converted to an idealized force-displacement plot.
- Target displacement is calculated according to displacement coefficient method. The structure analyzed to the target displacement limit has shown no failure.
- Hence according to this study, the building is completely safe and does not need to be retrofitted.

Chapter 5

CONCLUSION

5.1 CONCLUSION:

- The pushover analysis is a useful tool for assessing the inelastic strength and deformation demands and for exposing design weakness. The pushover analysis is a relatively simple way to explore the non-linear behavior of the structure.
- The pushover analysis is undertaken by loading the structure to the calculated base shear for limiting displacement, then the structure is pushed to a state of complete collapse and a pushover curve is obtained using SeismoStuct Version 5.2.2.
- Taking into account the low level of seismicity of Rourkela and the characteristic features of the structure and using ASCE 41-06, the target displacement is calculated.
- Upon loading the structure to the calculated base shear and limiting the displacement of control node, the pushover analysis reveals the structure is SAFE and hence the building does NOT need to be retrofitted.

5.2 FUTURE SCOPE OF STUDY:

- An inclusion of shear failure limits in the performance criteria may lead to a better and more comprehensive understanding of the building's behavior.
- Non-linear time history analysis can be used for the structure to have a more accurate assessment of the structure's capacity and understanding a more realistic demand scenario.

5.3 REFERENCES:

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